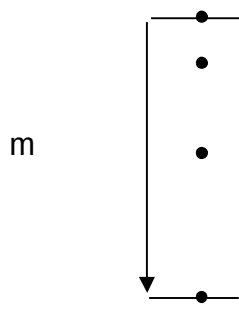


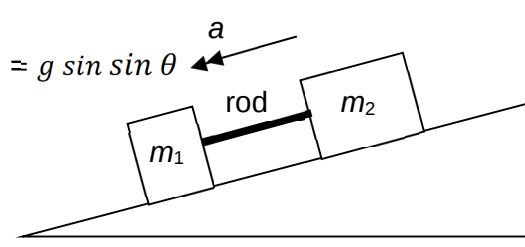
1	A	pico	nano	micro	
		10^{-12}	10^{-9}	10^{-6}	
2	D	The product PS has the same units as Q and R .			
3	A				

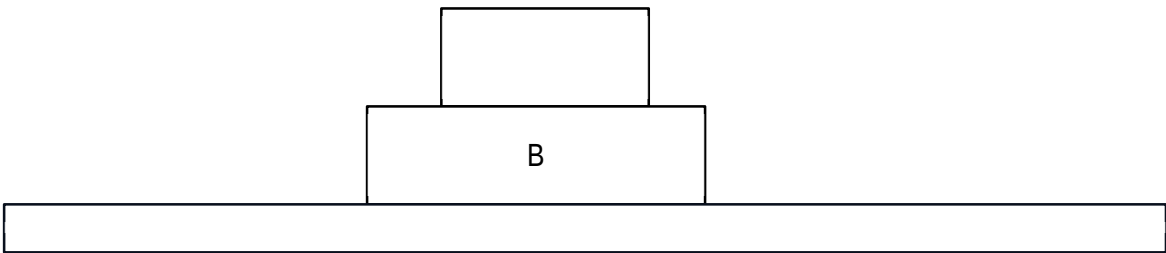
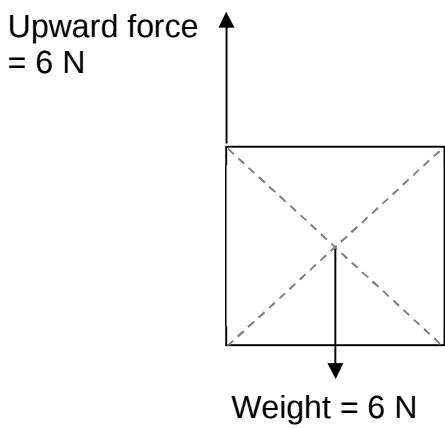
4	B	Accurate when the average is close to the true value. Precise when the spread of readings is small.
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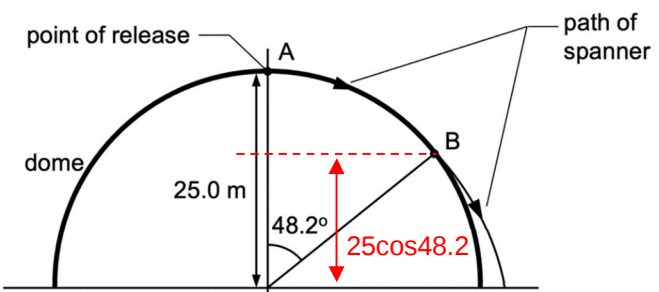
5	A	Constant acceleration: $v^2 = u^2 - 2as$ ® $\frac{1}{2}mv^2 = \frac{1}{2}mu^2 - (ma)s$ Since (ma) is constant, graph is a straight line with a negative gradient.
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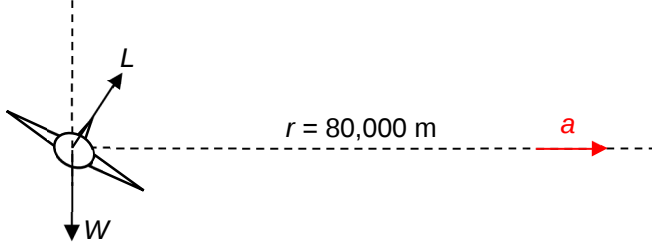
6	B	Constant acceleration = g. Initial speed $u = 0$ Let the time interval between successive drops be t. $9.0 = \frac{1}{2}g(3t)^2$ ® $t = \sqrt{\frac{2}{g}}$ Second drop from the roof: $s_2 = \frac{1}{2}gt^2 = 1.0 \text{ m}$ Third drop from the roof: $s_3 = \frac{1}{2}g(2t)^2 = 4.0 \text{ m}$ Distance = $s_3 - s_2 = 3.0 \text{ m}$ 
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7	D	$x = 500 = (u \cos \theta) \times 2t$ ® $u \cos \theta = \frac{250}{t}$ ----- (1) $y = 210 = \frac{1}{2}(u \sin \theta + 0)t$ ® $u \sin \theta = \frac{420}{t}$ ----- (2) (2) (1) gives: $\tan \theta = \frac{420}{250}$ ® $\theta = 59^\circ$
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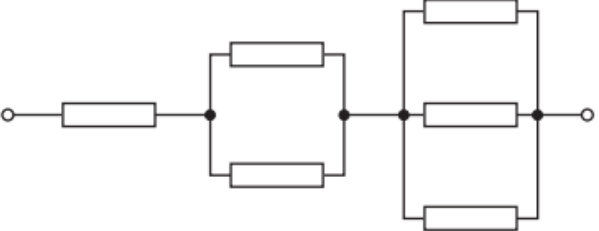
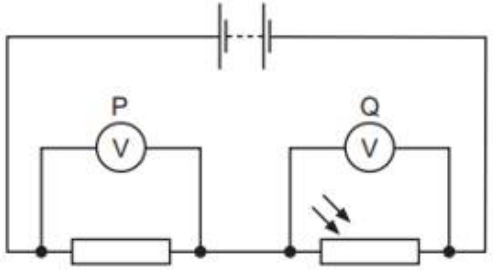
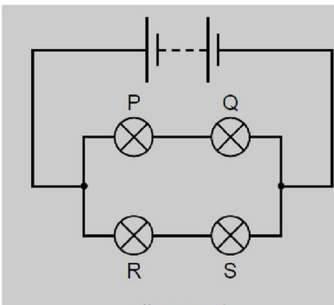
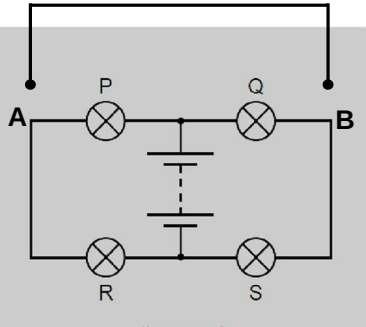
8	A	Consider both masses and the rod as one system: $(m_1 + m_2)g \sin \theta = (m_1 + m_2)a$ ® $a = g \sin \theta$ Consider forces acting on m_1 (or m_2) $m_1g \sin \theta - T = m_1a = m_1g \sin \theta$ $T = 0$ 
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9	A The reason why a person is unable to move a heavy box when he pushes it is because he cannot overcome the frictional force exerted by the floor on the box.
10	A  A B 70 N Consider both A and B as one system: $70 = (20 + 6.0)a$ ® $a = 2.69 \text{ m s}^{-2}$ Consider forces acting on B: $f' = 6.0a = 16 \text{ N}$ ® frictional force on A = f Alternatively, consider forces acting on A: $70 - f = 20a$ ® $f = 16 \text{ N}$
11	A Moment = Force x perpendicular distance = $4 \times 2 = 8 \text{ Nm}$. Moment for B = C = D = $(4 \sin 45^\circ) \times 2 = 5.7 \text{ Nm}$
12	C Resultant force = zero. Resultant torque = $6x$ clockwise x = half the length of the one side. Hence for equilibrium, we need an anticlockwise Torque of $6x \text{ Nm}$. 
13	C Impulse = area under force – time graph = $\frac{1}{2}(3 + 6)(20) = 90 \text{ N s}$ Impulse = change in momentum: $(20)v - 0 = 90$ ® $v = 4.5 \text{ m s}^{-1}$

14	B Horizontally, momentum is conserved: $(2.0)(0.50) = (2.5)v$ ® $v = 0.40 \text{ m s}^{-1}$ Change in momentum of trolley = $(2.0)(0.40) - (2.0)(0.50) = -0.20 \text{ N s}$
15	C  From the relative speed relation: $u - 0 = 0.5u - v$ ® $v = 0.5u - u = -0.5u$ From momentum conservation: $mu = m(-0.5u) + m_2(0.5u)$ ® $m_2 = 3m$
16	D At maximum speed, $F_{\text{engine}} = D = kv^2$: $P = F_{\text{engine}}v = kv^3$ With two engines: $72,000 = k(12)^3$ With one engine: $36,000 = kv^3$ Dividing gives: $\frac{v^3}{(12)^3} = \frac{1}{2}$ $v = 9.52 \text{ m s}^{-1}$
17	C Tension becomes zero and the only force acting on the mass is its weight. Hence, it undergoes projectile motion (i.e, constant vertical acceleration = g and non-zero constant velocity in the horizontal direction). For projectile motion, path is parabolic.
18	B Centripetal acceleration, $a = \frac{v^2}{r}$ From energy conservation, gain in k.e. = loss in g.p.e. $\frac{1}{2}mv^2 - 0 = mg(25 - 25 \cos 48.2^\circ)$ $v^2 = 163.6$ ® $a = \frac{v^2}{r} = \frac{163.6}{25} = 6.54 \text{ m s}^{-2}$ 

19	B  Horizontally: $L \sin \theta = \frac{mv^2}{r}$ i.e. centripetal force = $L \sin \theta$ or $= \frac{mv^2}{r}$ Ratio of centripetal force to the weight = $\frac{mv^2}{r} \div mg = \frac{v^2}{rg} = \frac{650^2}{80,000 \times 9.81} = 0.538$
20	A Weight = Gravitational force exerted by Earth on satellite: $W = \frac{GMm}{r^2} = \frac{GM_{\text{Earth}}m_{\text{satellite}}}{R^2}$ At a distance of $r = 5R + R = 6R$ from the centre of the Earth, gravitational force exerted by Earth on satellite = $\frac{GMm}{r^2} = \frac{GM_{\text{Earth}}m_{\text{satellite}}}{(6R)^2} = \frac{1}{36} \left(\frac{GM_{\text{Earth}}m_{\text{satellite}}}{R^2} \right) = \frac{W}{36}$
21	C Since satellite is in circular orbit, from Newton's 2nd Law: $F_{\text{net}} = m_{\text{satellite}}a \quad \textcircled{R} \quad \frac{GMm}{R^2} = \frac{mv^2}{R} \quad \textcircled{R} \quad mv^2 = \frac{GMm}{R}$ Kinetic energy of satellite = $\frac{1}{2}mv^2 = \frac{1}{2} \left(\frac{GMm}{R} \right)$
22	B Since satellite is in circular orbit, from Newton's 2nd Law: $F_{\text{net}} = m_{\text{satellite}}a \quad \textcircled{R} \quad \frac{GMm_{\text{satellite}}}{R^2} = m_{\text{satellite}}R\omega^2 \quad \text{mass of satellite cancels off.}$ $\textcircled{R} \quad \frac{GM}{R^3} = \omega^2 = \left(\frac{2\pi}{T} \right)^2 \quad \text{For period T to be 24 hrs, there can only be 1 value of R.}$
23	A Length of wire in one turn of the coil = $2\pi r = 2\pi \left(\frac{D}{2} \right) = \pi D$ Total length of wire used in N turns $L = \pi DN$

$$R = \frac{\rho L}{A} = \frac{\rho(\pi DN)}{\pi \left(\frac{d}{2}\right)^2} = \frac{4\rho(DN)}{d^2}$$

24	D $66,000 = R + \frac{R}{2} + \frac{R}{3}$ $R = 36 \text{ k}\Omega$ 
25	D Energy dissipated = QV $\otimes$ potential difference $V = \frac{\text{Energy Dissipated}}{Q}$ p.d. across $r = \frac{10.0}{20.0} = 0.500 \text{ V}$ p.d. across $R = \frac{50.0}{20.0} = 2.50 \text{ V}$ emf = $2.50 + 0.50 = 3.00 \text{ V}$
26	B When light intensity decreases, resistance of the LDR increases. From potential divider rule, p.d. across LDR = Q increases while p.d. across fixed resistor = P decreases. 
27	C Let the e.m.f. of the battery be E. In diagram 1, p.d. across each of the 4 bulbs is $V = \frac{E}{2}$. In diagram 2, p.d. across each of the 4 bulbs is still $V = \frac{E}{2}$.  diagram 1  diagram 2 Points A and B are at the same potential, hence connecting A to B will not result in any current flowing between A and B.

28	A Only forces on WZ and XY produces turning effect. Maximum torque = $NBIL\sin 90^\circ \times WX = (20)(0.80)l(0.17) \times (0.11) = 1.35$ $I = \frac{1.35}{(20)(0.80)(0.17)(0.11)} = 4.51 \text{ A}$
29	A From Newton's 2nd law: Resultant force = mass x centripetal acceleration $Bqv = mv\omega \quad \textcircled{R} \quad \omega = \frac{Bq}{m}$ Since $\omega = \frac{2\pi}{T} \quad \textcircled{R} \quad \frac{2\pi}{T} = \frac{Bq}{m} \quad \textcircled{R} \quad T = \frac{2\pi m}{Bq}$
30	D ${}_{90}^{232}\text{Th} \rightarrow {}_{88}^{224}\text{Ra} + {}_2^4\text{He} + 2\beta^- + 2\gamma$ $A = 232 - 8 = 224$ and $Z = 90 - 4 + 2 = 88$